

WEPD – Type II [96, 48, 16]

This is a database of known weight enumerator parameters for doubly-even binary self-dual [96, 48, 16] codes.

The weight enumerator of a doubly-even binary self-dual [96, 48, 16] code is given in [5] as

$$W_{96}^{\text{II}} = 1 + \alpha x^{16} + (3217056 - 16\alpha)x^{20} + \dots,$$

where $\alpha \in \mathbb{Z}$.

See the link below for a list of known values of α for W_{96}^{II} .

- [W₉₆^{II} known parameters](#) (from [1–9])

References

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