MAIN MENU

WEPD – Type I $[64, 32, 12]$

This is a database of known weight enumerator parameters for singly-even binary self-dual $[64, 32, 12]$ codes.

The possible weight enumerators of a singly-even binary self-dual $[64, 32, 12]$ code are given in [6] as

$$W^{\mathrm{I}}_{64,1} = 1 + (1312 + 16\alpha)x^{12} + (22016 - 64\alpha)x^{14} + \cdots,$$
$$W^{\mathrm{I}}_{64,2} = 1 + (1312 + 16\alpha)x^{12} + (23040 - 64\alpha)x^{14} + \cdots,$$

where $\alpha \in \mathbb{Z}$.

See the links below for lists of known values of α for $W^{\mathrm{I}}_{64,1}$ and $W^{\mathrm{I}}_{64,2}$.

- $W^{\mathrm{I}}_{64,1}$ known parameters (from [1–5, 8, 10, 14, 17, 18, 20, 22, 23])
- $W^{\mathrm{I}}_{64,2}$ known parameters (from [1, 3, 5–7, 9–17, 19, 21–24])

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